NEW JERSEY'S LINKS TO THE 21ST CENTURY:
MAXIMIZING THE IMPACT OF INFRASTRUCTURE INVESTMENT

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EMPRICAL ANALYSIS OF THE RELATIONSHIP BETWEEN ACCESSIBILITY AND ECONOMIC DEVELOPMENT

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EMPIRICAL ANALYSIS OF THE RELATIONSHIP BETWEEN
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INTRODUCTION

One of the key factors that play a pivotal role in a region's economic well being is the presence of a reliable and efficient transportation infrastructure. This is mainly due to the fact that a well-developed transportation system provides adequate access to the region, which in turn, is a necessary condition for the efficient operation of manufacturing, retail, labor and housing markets.

According to a recent report titled “Infrastructure and Economic Development MetroPlan 2000” (BMAPC 1990), prepared by the Boston Metropolitan Area Planning Council, public infrastructure clearly influences land use and development patterns, zoning policies and general economic environment. According to this report, when the Erie Canal opened, the cost of transporting wheat between New York and Buffalo fell from $100/ton to $10/ton, providing the northeast with an early example of the benefits from accessibility improvements caused by transport infrastructure development. Presently, however, considering the highly developed in-place of transportation network there is a major debate among economists, planners or public officials regarding the impact of further transportation infrastructure development on regional economic growth (Banister and Berechman 2000).

Figure 1 (Banister and Berechman 2000) depicts a general framework that describes the relationship between the transportation system and the economic growth. According to this framework, accessibility is improved as a result of investment in the existing transportation system. Improved accessibility, in turn, changes the travel and land use patterns and causes economic growth.
Given this view, this paper attempts to empirically substantiate the hypothesized relationship in Figure 1. This is done by first measuring the accessibility in the New York/New Jersey metropolitan area using several accessibility measures proposed in the literature; subsequently using multiple regression analysis we investigate the relationship between accessibility and economic development and evaluate the possible impacts of transportation investment on economic growth.
SCOPE

The main goal of this paper is to investigate the impact of accessibility changes on the level of economic development in a given region. In this paper, we introduce several types of accessibility measures while economic development is quantified in terms of changes in “income” and “employment”. The study area consists of 18 counties in the New Jersey/New York region where we have observed changes in accessibility and economic development for the decade 1990-2000. Using multiple regression analysis, the results show that there are strong and significant relationships between accessibility changes and economic development. The models presented in this paper provide empirical evidence for transportation planners relative to the economic impact of transportation capital investment.

ANALYTICAL APPROACH

The main goal of this paper is to study the existence and significance of the relationship between economic growth and transportation system’s performance. This relationship can be studied by using an analytical approach that correlates economic development with a variety of relevant factors including an indicator of transportation system’s performance.

A good measure of economic development is longitudinal changes in total earnings or income. Another measure of economic development is employment growth. Transportation system’s performance, on the other hand, can be measured using a suitable accessibility index, which can be defined as “a combination of interzonal travel time and zonal activity levels” (DOT 1981).

New York/New Jersey metropolitan area is chosen as the study area for this analysis. According to Northern Jersey Transportation Planning Agency (NJTPA), Northern New Jersey,
which is at the heart of the economic activity in New Jersey, is served by a vast multi-modal transportation system that supports nearly every aspect of economic activity in the region. This transportation system represents more than a century of public and private investment. New York City, on the other hand, is a major financial and commerce center, which creates jobs and wealth for the whole region. Efficient and reliable transportation between New York City and the rest of the region is seen as a key to ensure the continuation of economic activity in this region. The data collected for the study region is used to perform multiple linear regression analysis to investigate the hypothesized relationship between economic development measures and accessibility. Thus, in the next sections we first review a number of accessibility indexes proposed in the literature and their relationship to economic growth.

**REVIEW OF STUDIES ON THE IMPACT OF TRANSPORTATION INVESTMENT ON ECONOMIC GROWTH**

A review of the literature on the relationship between infrastructure investments and economic growth shows that, by and large, studies have reached similar conclusions although they differ in terms of the specific questions asked, the methodological approaches used and the types of data employed. Literature review reveals that there is a relationship between accessibility (transportation) and economic development of the regions studied. This is one thing that most of the previous studies agreed upon. In fact, the results of the regression analysis in our paper contributed to the findings of majority of the similar studies; that there is a strong relationship between economic development and transportation investments. Some examples of previous studies are summarized below.

Aschauer (1991) has analyzed the relationships between transportation infrastructure spending and economic growth and labor productivity using a production function based growth
model. In this study, annual change in output per employee was used as the dependent variable. The database was composed of observations on highway and transit spending in 48 nearby USA states, between 1969-1986. The principal finding of this study is that the effect of total transportation expenditures on the growth rate of the ratio of private capital to labor is high ($R^2=0.44$) (Banister and Berechman 2000).

Forkenbrock and Foster (1990) have studied the economic benefits of a corridor highway investment. The authors first developed a conceptual framework and then applied it to evaluate four alternative routes in a 805-kilometer (500-mile) corridor connecting two large metropolitan areas in the Midwest region of the U.S. An Input-Output model (IMPLAN) was used in this study. It was concluded that highway investments promote local economic development by lowering transportation costs relative to other locations.

The study by Boarnet (1996) has examined the way highway investments redistribute economic activity by dividing the economic impacts of transportation infrastructure into a direct and indirect effect. The direct effect is considered to be the impact on locations near streets or highways. The indirect effect is any impact that occurs at locations more distant from the highway corridor. A log-linear Cobb-Douglas specification was applied to California data such as county employment, capital stock in the county and other counties as independent variables, and the county’s output as dependent variable. It was concluded that the direct and indirect effects of investing in transportation infrastructure were of equal and opposing magnitude.

Clay, Stuart and Walcott (1988) examined some counties in North Carolina and focused on changes in employment and highway expenditures. They concluded that highway investment is central to economic development, based on the fact that large spending on highways has been accompanied by rapid employment growth in North Carolina’s metropolitan areas.
Isserman, Rephann and Sorenson (1989) used a quasi-experimental approach to investigate the effect of highways on smaller communities and rural areas. They examined income growth rates during the period of 1969-1984 for 231 small rural cities, some with highway access, some without. It was found that the cities located near highways had faster economic growth.

Although all of the above studies identified some kind of positive relationship between highway investment and local economic development, there are several studies that indicate that there is little or no effect of transportation investment on local economic growth. The major claim of these studies is that the economic growth that would have occurred anyway is located near highways but local economic growth is not created and stimulated by transportation investment.

Stephanedes and Eagle (1986) used a time series approach to investigate the relationship between State highway expenditures and changes in employment levels in 30 non-metropolitan Minnesota counties between 1964 and 1982. Grouping all 87 Minnesota counties, the authors found no overall relationship between highway expenditures and changes in employment levels. For a subgroup of regional centers, however, highway expenditures did appear to engender job growth.

**Review of Accessibility Indexes**

In this section we survey some accessibility measures commonly used in the literature to assess the performance of the transportation system. A popular accessibility measure is Hansen’s Accessibility Index (Hansen 1959), which is shown in expression 1.
\[ A_i = \frac{\sum_{j=1}^{n} W_j e^{-\beta c_{ij}}}{\sum_{j=1}^{n} W_j} \]  

where,  

- \( A_i \) = accessibility of zone i to opportunities in zone j for \( j=1, \ldots, n \)  
- \( W_j \) = measure of attractiveness of zone j  
- \( c_{ij} \) = cost of travel from zone i to j (represented by travel time, distance etc.)

Measures of attractiveness can be zonal total employment, retail employment, household characteristics (e.g., income) or population.

Ingram (1971) proposed a measure, sometimes called integral accessibility, shown in expression 2.

\[ A_i = \sum_{j=1}^{N} d_{ij} \]  

where,  

- \( A_i \) = integral accessibility at the \( i^{\text{th}} \) point  
- \( d_{ij} \) = relative accessibility of point j with respect to point i (minutes)

Based on (2), a new accessibility index can be developed for a given region by integrating the integral accessibility index over all the points (zones) within the area. This gives a normalized index, which can be formulated as follows (Allen et.al. 1993):

\[ A'_i = \frac{1}{N-1} \sum_{j=1}^{N} d_{ij} \]  

where,  

- \( N_i \) = Number of zones (18 in this case)

If we interpret \( d_{ij} \) as the travel time between locations i and j, then \( A'_i \) represents the average travel time between a given location i and all other locations in the study area. In location theory, the node with the lowest \( A'_i \) is called the median point of the network (Allen
et.al. 1993). Since the index given in (3) measures the cost of travel between locations in terms of time (or distance), a high value of $A_i$ represents a low level of accessibility.

Black and Conroy (1977) suggested an accessibility index, which is the area under the curve of cumulative distribution of opportunities reached within a specified travel time. The numerical measure calculated is the area bounded by the curve of the distribution, the travel time axis, and a selected travel time ordinate. This accessibility index is shown in expression 4.

$$K_i = \int_{0}^{T} A(t) \, dt$$  \hspace{1cm} (4)

where, $A(t)$=cumulative proportion of the activities of the region that are reached within a given time limit

$t$=travel time (minutes)

$T$=chosen travel time ordinate

$K_i$ contains information about the proportion of opportunities reached, and about the distribution over time of these opportunities. In (4), accessibility is high when many opportunities can be reached within a travel time $T$. Therefore; a large value of $K_i$ indicates a good level of accessibility.

A variation of the accessibility measure given in expression 2 is shown in expression 5 below:

$$A_i = \sum_{i=1}^{k} c_{ij} \beta \quad \forall j = 1, \ldots, k$$  \hspace{1cm} (5)

where, $c_{ij}$=relative distance or travel time of point $j$ with respect to point $i$. (travel time in minutes)

$\beta$= an exponent (assumed to be $-2$ as a default value)
The value of the parameter “\( \beta \)” reflects the specific characteristics of the transportation system such as comfort level, safety, etc., that cannot be directly measured by travel time and / or distance between zones. Its value needs to be calibrated using real-world data. A common value used for “\( \beta \)” in the literature is –2. This default value establishes an inverse relationship between the square of travel time and accessibility. Hence, the value of this index increases as accessibility improves.

**Accessibility and Economic Growth**

Given the above accessibility measures, the next question is how to link accessibility improvements with regional economic growth. A study by Dalvi and Martin (1976) examined relative accessibility in the London region. The accessibility measure used is a Hansen-type index that uses four measures of areal attractiveness. These are total employment, employment per area, number of households and size of population in an area. With total employment as the attractor variable, the central business district was found to be most accessible relative to the rest of inner London. However, when households or population were used as measures of attractiveness the opposite result was obtained. With employment as the attractor variable, accessibility differentials between areas appeared to be less pronounced than with households or population.

Allen, Liu and Singer (1993) proposed an accessibility index that captures the overall transportation access level of Philadelphia and other largest U.S. metropolitan areas. Using this index, a regression analysis was performed for data from sixty largest U.S. metropolitan areas in order to investigate the impact of accessibility on employment growth rate. The results showed that accessibility has a considerable impact on the region’s economic growth.
In a paper by Cervero, Rood and Appleyard (1995), changes in job accessibility indexes were traced for the San Francisco Bay Area between 1980-1990. These indexes were computed for 100 residential areas and the region’s 22 largest employment centers. The indexes were further refined based on occupational match indicators between residents’ employment characteristics and labor occupational characteristics at work places. A gravity-like measure of job accessibility was used in this analysis. It was discovered that peripheral areas were the least job accessible whereas, employment centers were generally the most accessible when occupational matching was accounted for.

From this brief review, we can see that simple accessibility measures can have a significant explanatory power relative to changes in regional employment, income and other measures of regional economic growth.

DESCRIPTION OF THE STUDY AREA AND THE DATA

The study area includes Northern New Jersey and Southern New York areas. Specifically the study area includes the following counties: Sussex, Passaic, Bergen, Essex, Hudson, Hunterdon, Ocean, Warren, Monmouth, Morris, Somerset, Middlesex and Union counties in New Jersey; Bronx, Kings, Queens and Richmond counties and New York City in New York. Figure 2 depicts the study area.
The major source of data for this study is the Complete Economic and Demographic Data Source (CEDDS) by the Woods and Poole Economics, Inc (Woods, 2000). Annual total employment, population, total earnings and total retail sales figures for the years 1990 and 2000 constitute the database used in this study. All monetary values were adjusted for inflation.
Travel times between each pair of counties in the study area were obtained from North Jersey Transportation Authority. Travel times were calculated using the calibrated Tranplan model to generate highway congested speeds -with travel impedances (Low-occupancy and high-occupancy): 1990 and 2000. In this study, 1990 and 2000 travel times based on congested speeds were considered for calculating the respective accessibility indexes.

**ANALYTICAL FRAMEWORK FOR MODELING THE RELATIONSHIP BETWEEN ECONOMIC GROWTH AND ACCESSIBILITY**

In this study, we test the hypothesis that there exists a relationship between economic growth and accessibility. Our approach is similar to the one presented in a 1991 report by Linneman and Summers, although more limited in its scope. Linneman and Summers (1991) attempt to study the patterns of urban population decentralization as well as population and employment growth in 60 metropolitan areas. In our study, we focus specifically to New York-New Jersey metropolitan area and study the economic growth in individual New Jersey and New York counties.

Within the limited scope of this study, we conjecture that economic growth in each county in the study area can be measured using average annual employment growth value or average annual total earnings growth value between the years 1990 and 2000. However, in our model, we assume that each county interacts, at least with neighboring counties, in terms of economic activities. This assumption is consistent with the recent findings of Boarnet (1996) where the interaction among an individual county and neighboring counties has been studied in the context of the impact of highway capital in one county. In this study, Boarnet (1996) concluded that there is “sufficient evidence of indirect economic effects of highway capital stock
in one county across neighboring counties”. Thus we use two explanatory variables that represent this relationship namely, average annual employment growth value and average annual population percent change in adjacent counties. Furthermore, we use base year population and employment for each county as other explanatory variables in our regression model. These variables are commonly used in “land use models” to represent “the potential of growth” in a given area. Putman (1983, p. 163) argues, “The past and / or present location of employment exerts a significant influence on the future location of employment.” Furthermore, he states that the location of current resident population has a significant influence on the location of future location of all types of employment. An additional economic indicator, growth value of average annual total earnings, has also been tested in the models where average annual employment growth value is used as the dependent variable.

Finally, we introduced an accessibility term to represent the impact of “transportation system’s performance”. We have tested four different accessibility measures discussed in the previous section. However, the simple accessibility index given in expression 5, which is simply based on the inverse of the “travel time”, appears to produce the best results for the hypothesized regression analysis framework. We believe this accessibility measure similar to the distance function used by the gravity models can be seen as the relative impedance of a county “i” with respect to other counties in the study area. Other similar studies used even simpler measures such as the “centerline miles of certain type of roadways in each analysis zone” (Reilly 1997) to incorporate the effects of travel cost. However, Putman (1983) argues that the location of employment in a particular zone is directly proportional to the “accessibility of this area with respect to other zones”. Now, the way this accessibility measure is calculated in the context of an employment prediction model needs further attention. Aside from the accessibility indexes
discussed in this paper, there is at least one more “impedance function” that can be used as an alternative to the exponential type of function, $c_{ij}^{-\beta}$ proposed in expression 5. Wilson (1969) proposed an impedance function of the form $e^{-\beta s}$, where $\beta$ is a constant determined empirically. Both these functions are a special form of modified gamma function or so called “Tanner Function” (Cripps and Foot 1969) shown in the following expression:

$$f(c_{ij}) = c_{ij}^{\alpha} e^{\beta s}$$

(6)

where it is usually assumed that $\beta<0$, for all relevant cases. Tanner function is also used in several well-known employment models such as EMPAL (Putnam 1983). Tanner function has the desirable property that, when $\beta<0$, it has the same shape as $c_{ij}^{-\beta}$. We show this property in Figure 3 for $\beta=-2$, where similar behavior of both travel time expressions are shown. It is due to this property that the use of $c_{ij}^{-\beta}$ instead of more widely used index shown in expression 6 as the accessibility measure did not affect our results. Putnam (1983) also states that the value of $\beta$ used in expression 6 will range between 0.00 and -2.00 but some calibration results for the employment location models presented in Putnam (1983) produced even much higher $\beta$ values up to –9 as a result of best fit calibration of modified gamma function shown in expression 6.
For $c_i^\beta$ used in this paper, we have tested different ‘$\beta$’ values that range between negative 1.5 and negative 2.5 by using the values of accessibility index obtained for different “$\beta$” values. We have observed that the change in “$\beta$” values beyond -2 does not make statistically significant changes that improved our results.

**MODEL SPECIFICATION**

Two different sets of linear regression models were developed using ‘employment growth’ and ‘total earnings growth’ as the dependent variables. The independent variables include each county’s total population and total employment per acre, employment and population growths in adjacent counties, and total retail sales growth and three accessibility indexes (Expressions 3, 4, and 5 above).

The accessibility indexes used in this study were relative accessibility indexes, i.e., accessibility index of a county relative to all other counties. Using expressions 3, 4 and 5 and
using 18x18 travel time matrix, accessibility index for each of the 18 counties in the study area was calculated. The results are shown in Table 1.

<table>
<thead>
<tr>
<th>Location</th>
<th>Accessibility Index</th>
<th></th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Expression 3&lt;sup&gt;a&lt;/sup&gt;, (In minutes)</td>
<td>Expression 4&lt;sup&gt;b&lt;/sup&gt;</td>
<td>Expression 5&lt;sup&gt;b&lt;/sup&gt;</td>
<td></td>
</tr>
<tr>
<td>Bergen (NJ)</td>
<td>59.76</td>
<td>56.77</td>
<td>1914</td>
<td>2178</td>
</tr>
<tr>
<td>Bronx (NY)</td>
<td>61.93</td>
<td>55.81</td>
<td>2813</td>
<td>2967</td>
</tr>
<tr>
<td>Essex (NJ)</td>
<td>53.44</td>
<td>49.68</td>
<td>2135</td>
<td>2432</td>
</tr>
<tr>
<td>Hudson (NJ)</td>
<td>55.8</td>
<td>50.45</td>
<td>2863</td>
<td>3014</td>
</tr>
<tr>
<td>Hunterdon (NJ)</td>
<td>91.06</td>
<td>87.05</td>
<td>-802.2</td>
<td>-107.1</td>
</tr>
<tr>
<td>Kings (NY)</td>
<td>64.02</td>
<td>59.09</td>
<td>2529</td>
<td>2710</td>
</tr>
<tr>
<td>Middlesex (NJ)</td>
<td>69.31</td>
<td>63.79</td>
<td>68.34</td>
<td>636.42</td>
</tr>
<tr>
<td>Monmouth (NJ)</td>
<td>87.16</td>
<td>85.58</td>
<td>46.26</td>
<td>151.02</td>
</tr>
<tr>
<td>Morris (NJ)</td>
<td>65.7</td>
<td>61.05</td>
<td>936.342</td>
<td>610.02</td>
</tr>
<tr>
<td>New York City  (NY)</td>
<td>57.58</td>
<td>51.7</td>
<td>3482</td>
<td>3616</td>
</tr>
<tr>
<td>Ocean (NJ)</td>
<td>103.29</td>
<td>104.02</td>
<td>-630.36</td>
<td>-124.326</td>
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<tr>
<td>Passaic (NJ)</td>
<td>54.28</td>
<td>50.71</td>
<td>2139</td>
<td>1913</td>
</tr>
<tr>
<td>Queens (NY)</td>
<td>65.56</td>
<td>60.6</td>
<td>2494</td>
<td>2660</td>
</tr>
<tr>
<td>Richmond (NY)</td>
<td>68.45</td>
<td>62.28</td>
<td>1377</td>
<td>2010</td>
</tr>
<tr>
<td>Somerset (NJ)</td>
<td>116.23</td>
<td>80.28</td>
<td>-47.94</td>
<td>439.788</td>
</tr>
<tr>
<td>Sussex (NJ)</td>
<td>122.23</td>
<td>115.49</td>
<td>-531.69</td>
<td>-420.66</td>
</tr>
<tr>
<td>Union (NJ)</td>
<td>59.33</td>
<td>52.81</td>
<td>953.64</td>
<td>1668</td>
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<tr>
<td>Warren (NJ)</td>
<td>83.67</td>
<td>78.78</td>
<td>107.718</td>
<td>-1320</td>
</tr>
</tbody>
</table>

<sup>a</sup>Smaller values are favorable.

<sup>b</sup>Larger values are favorable.

For the estimation of accessibility index given by expression 4, which measures accessibility to employment, 1990 and 2000 employment figures were used. In this study, a 60-minute travel time ordinate has been tested. Thus, the accessibility indexes represent the number of jobs reached within a 60-minute travel time from each county to all other counties. A sample calculation for New York City is given in expression 7 below. The cumulative distribution plot
of New York City given in Figure 4, is expressed in terms of a third degree equation and then integrated to find the accessibility index.

\[
\int_{0}^{60} (-0.0001x^3 + 0.0134x^2 + 0.6804x + 26.947) \, dx = 3.482 \times 10^3
\]  

(7)

Figure 4: Cumulative Distribution Of Jobs Reached Within The specified Travel Times  
(With 1990 Employment Figures)

The value calculated using expression 7 indicates the total number of jobs reached within 60-minute travel time from New York City to all other locations (in a 360 degree circle with radius equal to a 60 minute travel time distance, with New York City being the origin) in the study area.

As seen in Table 1, counties located closer to New York City, which holds 35% of all the employment in the study area, have relatively higher accessibility when measured by the accessibility index given in expression 4. Still, the level of economic activity in each location is also an important factor to maintain a high accessibility index. For example, Passaic, which is farther away from New York City, has much higher accessibility index than Richmond, which is
closer to New York City. The reason is that Passaic holds approximately 3% of the total employment in the study area, whereas Richmond holds 1% of total employment only.

A thematic map representation of accessibility index using expression 3 (Ingram’s accessibility index) from Table 1 is given in Figure 2. It shows the accessibility patterns in the study area based on 1990 travel times. The interesting point to notice is that counties such as Middlesex, Union and Essex have a greater accessibility than counties in the southern or northwest part of study area. This can be explained in terms of the nature of this accessibility index; since it measures travel time from a point to all other points, the central points tend to have higher accessibility than the outer points. The northeastern New Jersey counties and New York counties experience good accessibility also due to the good highway network connecting these counties.

The hypotheses to be tested in this study are the followings:

$H_0$: There is no relationship between economic growth and accessibility

$H_1$: There is a significant relationship between economic growth and accessibility.

A t-test will used to test the hypotheses and if the t-values of the variables are found to be greater than the critical t-value (which is considered as 2.0 in this study), the null hypothesis will be rejected.

The hypotheses mentioned above are based on the following assumptions:

- Economic growth in each county in the study area can be measured using average annual employment growth value or average annual total earnings growth value between the years 1990 and 2000.
- Each county interacts, at least with neighboring counties, in terms of economic activities.
The general form of the multiple linear regression model developed in this study is shown in expression 8. This expression represents the economic growth in each county in the study area.

\[
\text{AAEGR(or AATEC)} = \beta_0 + \beta_{\text{TBP}} \cdot \text{TBP} + \beta_{\text{TBE}} \cdot \text{TBE} + \beta_{\text{AAEGRadj}} \cdot \text{AAEGR}_{\text{adj}} + \beta_{\text{AAPCadj}} \cdot \text{AAPC}_{\text{adj}} + \beta_{\text{AARSC}} \cdot \text{AARSC} \text{or} \beta_{\text{AAEGR}} \cdot \text{AAEGR} + \beta_{\text{AI}} \cdot \text{AI}
\]  

(8)

where,

**AAEGR**: Average Annual Employment Growth Value between years 1990-2000

**AATEC**: Average Annual Total Earnings Change between 1990-2000

**TBP**: Total Base year Population Per Acre in 1990

**TBE**: Total Base year Employment Per Acre in 1990

**AAEGR_{adj]**: Average Annual Employment Growth Value in adjacent counties (except the county itself) between years 1990-2000

**AAPC_{adj]**: Average Annual Population Change in adjacent counties (except the county itself) between years 1990-2000

**AARSC**: Average Annual total Retail Sales Change between years 1990-2000

**AI**: Differences of accessibility index values measured by three different methods between 1990-2000 (i.e, change in accessibility index between 1990-2000 for each county).

All the variables can take any real value within the minus infinity to plus infinity range. None of the variables used in our models are limited range variables.

Six regression models have been developed for expression 8 with 2 different dependent variables (AAEGR and AATEC) and with the 3 different “AI” terms. Expression 9 is an example of the calculation of the variable “AI” used in regression models according to Ingram’s accessibility index:
AI_{i}=(\text{Ingram’s Acc. Index in year 2000 for county } i)-(\text{Ingram’s Acc. Index in year 1990 for county } i)

The parameters of the regression equations have been estimated using simple OLS approach. Since the dependent and independent variables used in this analysis are not limited range variables (i.e. not between 0 and 1, or not between 0\% and 100\%), there was no need to use Generalized Least Squares (GLS) technique by transforming those variables with appropriate link functions (such as logit transformation).

Table 2 summarizes different variations of two sets of regression models in terms of variables used by each model. After running regression for all the models shown in Table 2, theoretically sensible models turned out to be Models 2 and 4 and they will be discussed in detail.

<table>
<thead>
<tr>
<th>Table 2: Variables Used in Regression Models</th>
</tr>
</thead>
<tbody>
<tr>
<td>Variables</td>
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<tr>
<td>Model 1</td>
</tr>
<tr>
<td>Dependent Variables:</td>
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<tr>
<td>Average Annual Employment Growth</td>
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<tr>
<td>Average Annual Total Earnings Change</td>
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<tr>
<td>Independent Variables:</td>
</tr>
<tr>
<td>Total Base year Population</td>
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<tr>
<td>Total Base year Employment</td>
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<tr>
<td>Average Annual Employment Growth in Adjacent Counties</td>
</tr>
<tr>
<td>Average Annual Population Change in adjacent Counties</td>
</tr>
<tr>
<td>Average Annual Retail Sales Change</td>
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<tr>
<td>Average Annual Employment Growth</td>
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<td>Accessibility Index difference by Expression.3</td>
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<tr>
<td>Accessibility Index difference by Expression 5</td>
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<tr>
<td>Accessibility Index difference by Expression 4</td>
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</tbody>
</table>

For Models 2 and 4, the explanatory power of the regression equation based on the statistical measures appears to be very good. Moreover, P-value tests with the level of
significance $\alpha = 0.05$, for the estimated parameters of independent variables show that all the estimated parameters, except two variables in Model 4, are statistically significant. The signs of independent variables shown in Table 2 are consistent with the expected signs for each variable. Based on these test results shown in Table 4, we can thus conclude that a good relationship between “economic growth as measured in the model” and “the accessibility” exist.

In order to validate the robustness of the regression results and the appropriateness of the OLS application, several statistical tests were performed as explained in the following paragraphs.

The correlation and multicollinearity among the variables have been tested. The correlation between model errors at different time periods is called “autocorrelation”. Notice that the data set used in this paper is not time series data. Therefore, there is no reason to suspect existence of autocorrelation. “Multicollinearity” is present in the database only if two or more regressors are highly correlated. This correlation is presented in Table 3. As seen in Table 3, correlation between AARSC and AI (accessibility index difference measured by expression 5) is very low compared to correlation between AARSC and other accessibility indexes. In order to check the existence of heteroscedasticity\(^1\), White Test\(^2\) was performed. The test results show that there is no heteroscedasticity in the data, since the product of the number of observations and the $R^2$ value from the White Test of Model 2 is 17.1 which is less than the critical value of chi-square variable for $v=14$ and $\alpha=0.05$, $v$ is the degrees of freedom (The critical value from the statistical table is 23.68). Test results for Model 4 also show no sign of heteroscedasticity.

\(^1\) Heteroscedasticity is the problem encountered in regression analysis when the variance of the error term in a regression is not constant for every observation.
\(^2\) The White Test involves regressing the squared residuals on all the independent variables, their squared values, and their cross products. If the product of the number of observations and R-squared exceeds the critical value of the chi-square variable with the number of degrees of freedom given by the number of independent variables (at the chosen significance level), the null hypothesis of no heteroscedasticity is rejected (York 2001).
Therefore, it can be concluded that both models are robust and statistically meaningful. However, as can be seen from Table 4, two of the independent variables of Model 4 have relatively low t-values (less than 1) thus implying statistically insignificant parameter values. However, due to the economic significance of these values, we decided to keep them in our model. On the other hand, due to the higher statistical significance of independent variables in Model 2 and virtually very similar nature of both models in terms of dependent an independent variables used, we decided to focus on Model 2 to further analyze the relationship between accessibility change and economic growth.

<table>
<thead>
<tr>
<th></th>
<th>AAEGR</th>
<th>AATEC</th>
<th>TBP</th>
<th>TBE</th>
<th>AAEGR_{adj}</th>
<th>AAPC_{adj}</th>
<th>AARSC</th>
<th>AI^a</th>
<th>AI^b</th>
<th>AI^c</th>
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<td>AAPC_{adj}</td>
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<tr>
<td>AARSC</td>
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<td>0.893</td>
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<td>0.522</td>
<td>0.565</td>
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<tr>
<td>AI^a</td>
<td>-0.494</td>
<td>-0.653</td>
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<td>0.024</td>
<td>-0.065</td>
<td>-0.069</td>
<td>-0.499</td>
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<tr>
<td>AI^b</td>
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<td>0.151</td>
<td>0.197</td>
<td>0.078</td>
<td>-0.243</td>
<td>-0.320</td>
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<td>-0.072</td>
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<td>AI^c</td>
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<td>-0.025</td>
<td>-0.159</td>
<td>-0.136</td>
<td>0.162</td>
<td>-0.141</td>
<td>0.076</td>
<td>1</td>
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^a Difference in accessibility index measured by Ingram’s method as given in expression 3 between 1990-2000.

^b Difference in accessibility index measured by the formula given in expression 5 between 1990-2000.

^c Difference in accessibility index measured by Black and Conroy’s graphical method as given in expression 4 between 1990-2000.
Table 4: Regression Results: Parameters for Model 2 and Model 4

<table>
<thead>
<tr>
<th>Variables</th>
<th>Model 2</th>
<th>ES&lt;sup&gt;c&lt;/sup&gt;</th>
<th>Model 4</th>
<th>ES&lt;sup&gt;c&lt;/sup&gt;</th>
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<td>Intercept</td>
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<td>9.8</td>
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<td></td>
<td>{0.001}&lt;sup&gt;a&lt;/sup&gt;, (-4.24)&lt;sup&gt;b&lt;/sup&gt;</td>
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<td>{0.024}, (2.628)</td>
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<td></td>
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<td>{0.04}, (2.329)</td>
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<td>1.26</td>
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<tr>
<td></td>
<td>{0}, (5.68)</td>
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<tr>
<td>AAEGR</td>
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<td>{0}, (5.24)</td>
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<td>{0.03}, (-2.485)</td>
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<td>0.95</td>
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<td>R&lt;sup&gt;2&lt;/sup&gt;</td>
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<td>0.91</td>
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<td>Adjusted R&lt;sup&gt;2&lt;/sup&gt;</td>
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<td>Standard Error</td>
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<td>Kurtosis of Residuals</td>
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<td>Observations</td>
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</table>

<sup>a</sup>Numbers in parenthesis are the p-values. They are the probabilities that the independent variable has no effect on the dependent variable. Smaller p-values are favorable.

<sup>b</sup>Numbers in paranthesis are the t-statistics values.

<sup>c</sup>Expected sign of the independent variable.

We have also tested the distributions of the estimation errors to analyze the patterns of estimation deviations. Errors, represented by the residuals, should be normally distributed for each set of values of the independents. Due to the central limit theorem, which assumes that even when error is not normally distributed, when sample size is large, the sampling distribution will still be normal, violations of normality assumption usually have little or no impact on substantive conclusions for large samples. However, when sample size is small, tests of normality are
important and a simple normality test using skewness and kurtosis coefficients can be conducted.

Kurtosis is a measure of how outlier-prone a distribution is. The kurtosis of the normal distribution is 3. Distributions that are more outlier-prone than the normal distribution have kurtosis greater than 3; distributions that are less outlier-prone have kurtosis less than 3. The normality of a distribution is, on the other hand, characterized by a skewness coefficient equal to 0. As seen in the last rows of Table 4, both models developed in this study passed the normality test since the skewness and kurtosis coefficients are found to be less than 0 and 3, respectively.

Finally, "heteroscedasticity" of the errors was checked to determine if the residuals are dispersed randomly throughout the range of the estimated dependent variable. According to the "Heteroscedasticity" assumption, variance of residual error should be constant for all values of the independent(s), and if the heteroscedasticity assumption is violated "conventionally computed confidence intervals and conventional t-tests for OLS estimators can no longer be justified". The nonconstant error variance can be observed by just plotting standardized residuals against estimated values of the dependent. A homoscedastic model will display a cloud of dots, whereas lack of homoscedasticity will be characterized by a pattern such as a funnel shape, indicating greater error as the dependent increases. The plots of residuals against the predicted values of the dependent variable for Models 2 and 4 shown in Figure 5 depict that the desirable statistical property of homoscedasticity exist for the residuals of both models.
RESULTS AND DISCUSSION

The main contribution of the macro-economic based models presented in the previous section is the ability to demonstrate the importance of public infrastructure in promoting economic growth and private capital productivity. Models 2 and 4 developed in this study, employ two conventional economic growth indicators namely, changes in average employment growth and change in average annual total earnings. Two of the 8 independent variables namely population and employment in each county are taken in terms of population and employment per acre to reflect the difference in population and employment densities in each county in the study area. This kind of representation of population and employment avoids bias towards
geographically large counties. This is also an economically important consideration since the level of economic activity tends to increase with increasing population and employment densities as well as average income levels. Thus, our models incorporate the effect of population and employment density. In addition to the population and employment related variables, Model 2 has an extra variable namely “annual retail sales”. However, in order to avoid having two highly correlated variable retail sales and “employment growth value”, we did not use AAEGR in Model 2. On the other hand Model 4 has AAEGR as one of its independent variables while “annual retail sales is omitted” in Model 4. Both variables have been shown to be statistically very relevant in terms of predicting economic growth values in each county.

Based on the results shown in Table 4, accessibility is found to have considerable impact on employment growth value and total earnings growth value. For Model 2, the p-value of AI term is 25%, implying that the probability that accessibility (as in expression 5) has “no effect” on employment growth is 25%. The positive sign for accessibility index in Model 2 makes sense because the index used in Model 2 is inversely proportional with the travel time and a high value represents high level of accessibility. The p-value of AI term for Model 4 is 3%, which is very good. The accessibility index for Model 4 has a negative sign, because the index used in this model is directly proportional to the travel time and therefore a high value represents low level of accessibility. Both models have very high $R^2$ values, which shows a good correlation between dependent variable and independent variables. The regression analysis results thus show that the level of accessibility has a significant impact on employment and total earnings growth values.

Our model clearly shows that the economic growth is a function of “accessibility”, among other things, which is related to the transportation system performance measured in terms of travel times. Thus our model, which successfully links travel times to the level of economic
growth, depicts the existence of a link between transportation system performance and economic growth. However, it is important to emphasize that this relationship depicted by our model cannot be carried directly to the individual project level since our model is aggregate in nature. Thus, it is important not to try to translate the results of our model directly to individual projects, rather use it as an indicator of the impact of the transportation system on the economic growth.

Another important point discussed in Berechman (2001) is with respect to the direction of causality between economic growth and transportation investment. There are many cases where high economic growth creates the need for transportation investment. In these cases, the causality depicted in our model is reversed. According to Berechman (2001) “disregarding such causality possibilities might result in problems of simultaneity in the empirical analysis, which, in turn, will generate wrong estimates”. Hence, the macro-economic type of models similar to the one developed in this paper “actually demonstrate that the patterns of productivity and public investment growth are similar and that this is what the correlation shows.” (Berechman (2001). Thus, it is very important to recognize this rather complex cause-effect relationship and not to use the predictions of these models as absolute measures of the impact of individual transportation investments on economic growth rather as indicators of a pattern of relationship between economic development and transportation system.

POLICY ANALYSIS

To analyze the policy impacts of the above models, we have conducted a simple sensitivity analysis by increasing or decreasing the travel times while keeping the other variables constant and observing the effects of increased travel time on the level of economic growth as predicted by Model 2.
In Model 2, we systematically studied the cases when the accessibility in the year 2000 is increased and then decreased by 5%, 10% and 15% relative to the current case. The decreased accessibility scenario was considered in order to investigate the likely case that the transportation network might become even more congested than it is today, due to the excess demand and lack of investment. The increased accessibility scenario was considered based on the fact that there might be new transportation investments in the study area in the foreseeable future.

Expression 10 represents employment growth in terms of the Model 2 results shown in Table 4.

\[ \text{AAEGR} = -19.64 + 0.212 \times \text{TBP} - 0.108 \times \text{TBE} - 1.43 \times \text{AAEGR}_{\text{adj}} + 2.53 \times \text{AAPC}_{\text{adj}} + 1.26 \times \text{AARSC} + 11.68 \times \text{AI} \] (10)

Results from the above sensitivity test reveals that, on average, for all the counties in the region, employment growth rate of 2.2%, 4.8% and 7.9% can be expected as a result of 5%, 10% and 15% increase in the level of accessibility, respectively. Similarly, when the level of accessibility was decreased by 5%, 10% and 15% in these counties, the amounts of employment growth rates decreased by 1.9%, 3.6% and 5%, respectively. Moreover, the results of the analysis of Model 2 show that counties closer to major employment locations are more sensitive to changes in the level of accessibility (i.e., percent increase/decrease in employment level for varying accessibility indexes was higher for those counties). A transportation investment made in these counties is then more likely to result in higher employment growth rate compared to counties farther away. This is a result, which is also supported by empirical observations. New Jersey counties that are closer to the major employment location in the study area, i.e. New York City, experience relatively higher growth rates. Figure 6 shows a plot of employment percent growth versus increase in the accessibility index differences between 1990 and 2000, for selected counties in the study area (it is a graphical representation of sensitivity analysis).
In order to understand the effect of increasing travel time, in other words, the decreasing level of service of the transportation system on the total employment and total earnings level, we carried out an analysis using Models 2 and 4. To illustrate this, consider the transportation network becoming more congested in year 2000 than it is today, due to the excess demand and lack of investment, which worsens accessibility (i.e., increases the travel time) by 1%, 5%, 10%, 15%, 20% and 25% relative to present accessibility level. For this purpose, we computed the new accessibility index differences (between year 2000 and year 1990) each time increasing the future year travel time by 1%, 5%, 10%, 15%, 20% and 25%. By using Model 2 (as shown in expression 10) and Model 4 (as shown in expression 11), we calculated different levels of total employment and total earnings for the study region (i.e., average of all counties in the study region.)

$$\text{AAEGR}_\text{adj} + 0.8*\text{AAPC}_\text{adj} + 1.034*\text{AAEGR} - 0.529*\text{AI}$$  \hspace{1cm} (11)

Figures 7 and 8 show the employment and total earnings growth trends for current and future values of travel time for the whole region on average. For the x-axis in figures, we
assumed an arbitrary index of 4 for the current travel time values, and then represented the future year increments as 4.01 (for 1% increase), 4.05 (for 5% increase) and so on.

**Figure 7: Effect of Increased Travel Time on Employment Level**

![Figure 7](image)

**Figure 8: Effect of Increased Travel Time on Total Earnings Level**

![Figure 8](image)

In Figure 7 for instance, with the current travel times (represented by the arbitrary accessibility index, 4), the employment growth rate is approximately 9.9%, but when the travel times are increased by 5% (or the arbitrary accessibility index 4.05), the employment growth rate drops to 9.7%.
This analysis reveals that 1% increase in the future year travel time (or accessibility index) will result in 0.4% decrease in the level of employment growth rate. Similarly, 5%, 10%, 15%, 20% and 25% increases in travel time will result in 1.9%, 3.6%, 5%, 6.3% and 7.4% employment growth rate reductions respectively.

To further generalize this analysis, we calculated the elasticity of economic growth with respect to accessibility by using the regression equation for Model 2 (as given in expression 10 above) as follows:

\[
E_{AI} = \frac{\partial(AAEGR)}{AAEGR} \times \frac{AI}{\partial(AI)} \tag{12}
\]

The application of expression 12 to regression model given in expression 10 results in the following:

\[
E_{AI} = \frac{11.68xAI}{AAEGR} \tag{13}
\]

Numerical calculation of elasticities for Model 2 using expression 13 shows that the elasticity of economic growth follows a general trend that is depicted by an increase in elasticity for counties closer to the major employment center in the study area namely, New York City. The average value of elasticity for Model 2 is calculated as 0.09 which is also consistent with the output elasticity of public capital in metropolitan areas found in an earlier study by Munnell, which was 0.08 (Munnell 1992). In calculating the average elasticity for the study region, we discarded Queens, since it was an outlier being well outside the range of other elasticity values. In addition, 14 out of 18 counties had shown correct trends in terms of economic growth, when compared to the actual trends obtained from census data. According to the elasticity values calculated for Model 2, the effect of increasing travel times for counties that are farther away from the major employment centers is relatively small compared to counties that are close to
these major employment centers. This finding has of course, major implications from a policy-making point of view, since it can dictate where the major investments have to be made. However, one can argue that the areas close to major employment centers are anyway heavily congested and it is only natural to make more transportation investment in those areas to relieve the existing congestion not to create more growth.

CONCLUSIONS

The regression analysis results obtained in this study show that the improved accessibility has a positive impact on economic development in terms of changes in employment and earnings. Both dependent variables are observed to be highly sensitive to consecutive changes in the level of accessibility.

The similarities and dissimilarities between this study and other studies in the literature with respect to methodologies, variables and final results can be listed as follows:


- In our study, we used employment, population, earnings, retail sales and accessibility index as the variables. Similarly, W.B. Allen, D. Liu and S. Singer (1993) also used employment, population, education, debt, school revenues and an overall accessibility index. Boarnet (1996) used employment, capital stock and output (productivity) as the variables. Nelson and Moody (2000) used per capita demand for a good/service, population, per capita income, and unemployment rate.
The results of our study showed that there is a significant relationship between economic growth and accessibility. This finding is in agreement with the results of studies by W.B. Allen, D. Liu and S. Singer (1993) and Boarnet (1996). Boarnet also stated that even if transportation infrastructure is productive for counties, policy makers ought to be cognizant of the possibility of economic losses outside the immediate project area. However, results of studies by Nelson and Moody (2000) and Stephanedes and Eagle (1986) showed no overall relationship between highway expenditures and changes in employment levels.

Although the regression models developed in this study can be a good starting point for the policy makers in deciding about whether and where to make the transportation investments, these kinds of major investment decisions require more detailed studies that take into account a wider range of socio-economic factors that could not be included in this study due to its limited scope. However, these models, which clearly depict the relationship between accessibility and economic growth, provide empirical evidence for transportation planners and engineers who work in this field. This, in itself, is an important first step and motivation for further studying this very important relationship.

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